Nesting and crossing segregated mixed models

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Abstract

A mixed orthogonal model is segregated when it's fixed effects part is structured as a sub-model. Once normality is assumed, we have UMVUE for the relevant parameters of such models. We show how to derive complex segregated models from simpler ones trought model nesting and model crossing.

Keywords

Mixed orthogonal models, segregated models.

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